

OPTIMIZATION ON RF DEVICES DESIGN APPLIED IN WIRELESS COMMUNICATIONS

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ABSTRACT

Third generation (3G) cellular mobile communications demands very strict requirements on transreceptor devices design, in mobile terminal or base station [1].

Particularly, in mobile terminal, design requirements of power amplifier indicate the next parameters: High linearity (<-42dBc), low distortion (-42dBc), compression level of 1 dB, power gain (>20 dB), maximum output power (28 dB), by the way of together carry out with the relationship Carrier to Interference (C/I) of 9 dB [2]. In this article, we will present the optimum design of these devices that carrying with such requirements, furthermore, saving more than 20 % of general power consumption in DC

RESUMEN

La tercera generación de comunicaciones celulares demanda requisitos muy estrictos en el diseño de dispositivos transreceptores para las estaciones de base o móviles. En este artículo presentamos un diseño óptimo de estos transreceptores, que cumplen las altas especificaciones demandadas, ahorrando adicionalmente más del 20% de la potencia consumida en DC

KEYWORDS: Power amplifier, mobile communications, mobile terminal. high linearity, low distortion, minimum power consumption.

1. INTRODUCTION

In cellular mobile communications systems, the most important quality parameter is the relationship Carrier – Interference(**C/I**), where principal focus in such systems have been controlling the interference factor (thermal noise in addition of co-channel interference and adjacent channel) to carry out with the imposed limit value of 9 dB in digital systems. On the case of carrier level that depends of the energy isotropic radiated power (**EIRP**), of the antenna gain (mobile terminal and base station), and for propagation profits, the power level is the parameter that we must controlling, trying to reduce the interference level with other users, but fundamentally to avoid the appearance of the so feared intermodulation products.

We are focused on radio frequency (**RF**) section design of mobile terminal transreceptors, with the objective of optimize the global functioning of the mobile communication systems, starting from optimums design (minimum intermodulation product in second and third order) of RF section in addition of the antenna's transreceptors mentioned in fig. 1:

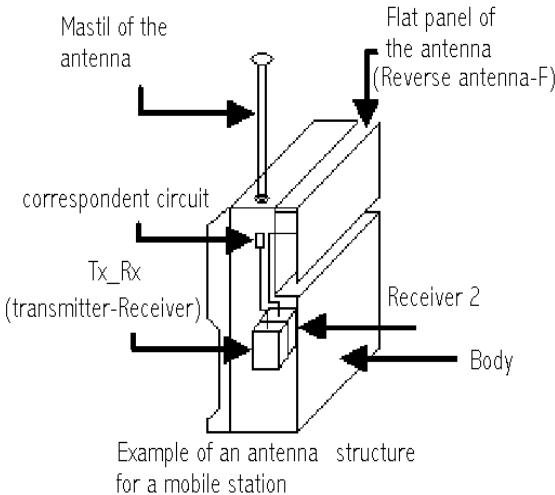


Figure 1. RF section diagram in addition of cellular mobile communications' antenna according to DoCoMo.

Actually, and due to great boom that mobile communication systems had have, are required linear power amplifiers, extremely efficient with high rejection to intermodulation products. To realize more efficient the linear amplifiers desired design is important to check the linearity of active elements, that is, transistors as main amplification components. Taking on account the previous, on this article we will focus on RF section design of the mobile terminal transreceptors, with the objective of optimize the global functioning of mobile communications systems, starting of optimum design (minimum intermodulation product of second and third order) of the RF section in adding the antenna of transreceptors mentioned [2].

Due of design characteristics and the operation of these devices, it acquire special importance in cellular mobile communications aspects as reduction in power consumption, battery time life, weight and size of power amplifiers [2].

2. MATHEMATIC MODEL OF THE TRANSRECEPTORS PARAMETERS

Given the considerations of mobile terminal transreceptor results convenient define the objective parameters of design. The first of them are the linear response parameter of power amplifier, which will be described on this part. Later, we will describe another parameter called analysis of spectral regrowth of weakly nonlinear power amplifier and intermodulation products.

2.1 Linearization principle

To verify the linearization principle, results convenient establish the mathematic expression that defines it. For this, we starting on signal case of two tones with the same signal power, showed on figure 2.

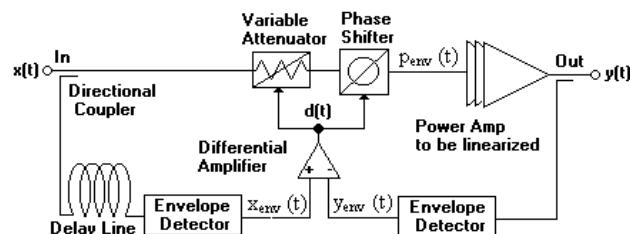


Figure 2. Linearization of power amplifier

In such figure, is present the behavior of feedback system with input $\mathbf{x}(t)$ and output $\mathbf{y}(t)$. Both are generated using a differential amplifier. Although, such as is showed on figure, these signals pass through different stages of control elements as: envelope detectors, directional matcher, variable attenuator, phase detector, and at least power amplifier which will be linealized. In this system, in a two tones case, the signal power at the input of RF is represented as:

$$x(t) = 2A \cos\left(\frac{\Delta\omega}{2}t\right) \cos(\omega_c t) \quad (1)$$

Where $\mathbf{x}(t)$ is input variable, A is the amplitude of individual signal, ω_c is the frequency and $\Delta\omega$ is the space frequency. The characteristics of conversion AM-AM (amplitude modulated - amplitude modulated) of amplifier can be represented by a third order polynomial according to the next expression:

$$y(t) = a_1 x(t) + a_2 (t)^2 + a_3 (t)^3 \quad (2)$$

Where a_1, a_2, a_3 are the variables that are depending of the input variables. Substituting the value of $\mathbf{x}(t)$ in the polynomial, the result is the following:

$$y(t) = a_1 2 \cos\left(\frac{\Delta\omega}{2}t\right) \cos(\omega_c t) + a_2 \left[2 \cos\left(\frac{\Delta\omega}{2}t\right) \cos(\omega_c t) \right]^2 + a_3 \left[2 \cos\left(\frac{\Delta\omega}{2}t\right) \cos(\omega_c t) \right]^3$$

using trigonometric identities, simplifying the previous expression, and supposing an ideal matching on band pass, with a total rejection on the signal out of band, although an envelope in perfect form. We can suppose that the envelope of $y(t)$ on the previous expression is:

$$y_{\text{env}}(t) = a_1 P_{\text{env}}(t) + \frac{3}{4} a_3 P_{\text{env}}^3(t) \quad (3)$$

This signal completes a feedback cycle, and after some cycles, loop feedback will be established as illustrate in figure:

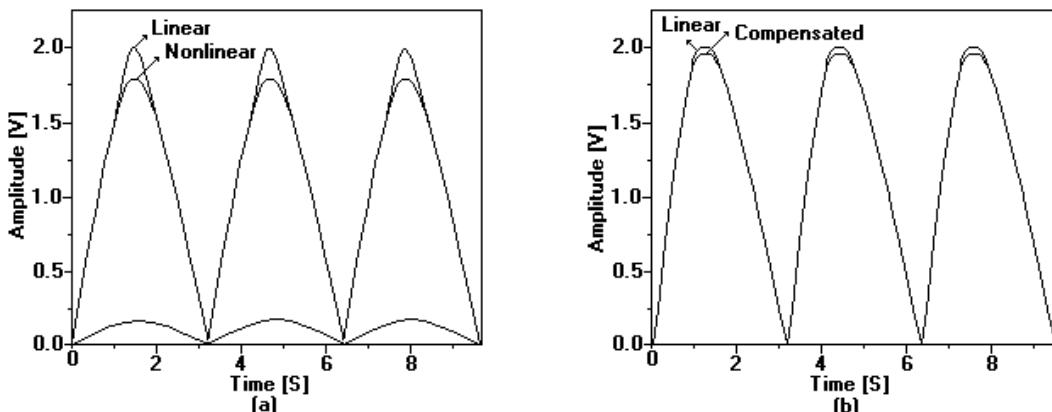


Figure 3. Calculated signals in a normalized case (a) Linear and non-linear envelopes on different signals. (b) Lineal and compensated envelopes.

2.2 Spectral regrowth analysis of the non-linear power amplifiers

The efficiency of power amplifier is measuring by the power percentage, proportionate by DC source and delivered to charge; such efficiency can be expressed by the next formula:

$$\eta = \frac{P_{\text{carga}}}{P_{\text{DC}}} \quad (4)$$

The high efficiency of power amplifier is a necessary requirement on design, and with good efficiency may have less interference, it depends about the class of power amplifiers to consider, A, B, AB, C, D and EF.

When a modulated signal passes through non-linear device, its bandwidth will expand in uneven order of non-linearities. This phenomenon is called spectral regrowth or spectral regeneration and is caused by the creation of intermodulation products mixed among the components of the individual frequencies of the spectrum [1, 6].

Spectral regrowth causes interference on adjacent channels (**ACI**), this **ACI** is measuring by the relationship between power and adjacent channel (**ACPR**). Power Spectral density (**PSD**) of a signal that is represented by **S (f)** such channel assignation is between **f1** and **f2** frequencies and assumes that its adjacent channel is using frequencies within **f3** and **f4**. Where **ACPR** is defined by:

$$\text{ACPR} = \frac{\int_{f_3}^{f_4} S(f) df}{\int_{f_1}^{f_2} S(f) df} \quad (5)$$

Spectral behavior of power amplifiers for wireless mobile systems can be represented as next graph on figure 4:

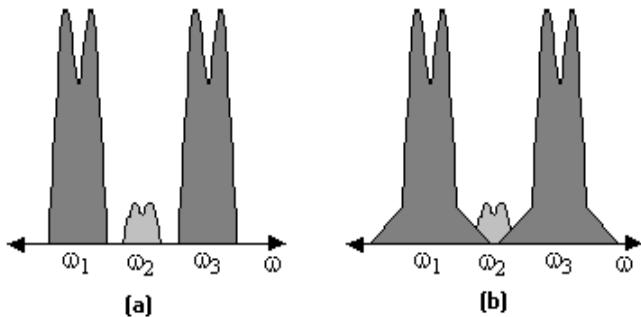


Figure 4. Signal regrowth behavior on wireless power amplifiers, (a) ideal case, (b) with distortion

The following is a mathematic analysis based on two expressions as fundamental base for spectral regrowth.

The first of them is a non-linear third order polynomial behavior in conjugated shape and its represented on following formula:

$$y(t) = a_1 x(t) + a_3 x^3(t) \quad (6)$$

Assuming $\mathbf{x}(\mathbf{t})$ by media zero and symmetrically distributed, then $\mathbf{y}(\mathbf{t})$ is media zero. Our objective will be expressing the autocorrelation function of $\mathbf{y}(\mathbf{t})$, in statistics terms of $\mathbf{x}(\mathbf{t})$.

That is, in cumulant terms:

$$C_{2y}(\tau) = \text{cum}\{y(t), y^*(t + \tau)\} \quad (7)$$

Cumulant, is a tool that we will use here to derivate the forms of closed expressions. Therefore, substituting the expressions (6) and (7) and applying the following property:

$$\begin{aligned} C_{Kx}(\tau) &= C_{Kt}(\tau_1, \tau_2, \dots, \tau_{K-1}) \\ &= \text{cum}\{x(t), x(t + \tau_1), x(t + \tau_2), \dots, x(t + \tau_{K-1})\} \end{aligned} \quad (8)$$

where: $\tau = (\tau_1, \tau_2, \dots, \tau_{K-1})$ and K is equal to polynomial order.

Applying Leonov-Shiryaev formula to remainder terms expression (8). Finally we obtained the expression for the covariance of the function $\mathbf{y}(\mathbf{t})$:

$$\begin{aligned} C_{2y}(\tau) &= |a_1|^2 C_{2x}(\tau) + a_1 a_3^* [C_{4x}(\tau^*, \tau^*, \tau) + 2\sigma_x^2 C_{2x}(\tau)] + \dots \\ &\quad \dots a_3 a_1^* [C_{4x}(0, 0^*, \tau^*) + 2\sigma_x^2 C_{2x}(\tau)] + \dots \\ &\quad \dots |a_3|^2 [C_{6x}(0, 0^*, \tau, \tau^*, \tau^*) + 4C_{2x}(\tau) C_{4x}(0^*, \tau, \tau^*)] + \dots \\ &\quad \dots |a_3|^2 [C_{2x}(\tau) C_{4x}(0, \tau^*, \tau^*) + 2\sigma_x^2 C_{4x}(\tau, \tau^*, \tau^*)] + \dots \\ &\quad \dots |a_3|^2 [2\sigma_x^2 C_{4x}(0, 0^*, \tau^*) + 4\sigma_x^4 C_{2x}(\tau) + 2C_{2x}^3(\tau)] \end{aligned}$$

From the previous expression, it can be concluded the next:

Spectral regrowth due to non-linearity by third order is clearly exposed by the term $C_{2x}^3(\tau)$, and is due to a multiplication on time domain, that correspond to a convolution in the frequency domain. Therefore, if probability density function $S_{2x}(\omega)$ is for limited band to ω_c , so, the output of probability density function $S_{2y}(\omega)$ by third order system will be limited band to $3\omega_c$.

Spectral regrowth each time takes more importance on wireless mobile communication systems; hence minimize the interference within channels. A significant part on the interferences of wireless mobile communication systems is due to it creates by multiple transmission frequency combinations, whereby produces non-linear components. The previous is traduced on unwanted signals, called intermodulation products (PIM) [6].

2.3 Intermodulation products (PIM)

These products are lineal combinations of the original signal frequencies, described as Taylor polynomial:

$$f(x) = a_0 + a_1 x + a_2 x^2 + a_3 x^3 + a_4 x^4 + \dots \quad (9)$$

Characteristics of intermodulation on non-linear circuit can be determined through two tones analysis. On this method, are introduced to amplifier two signals in equal magnitude, and with a short separation in frequency, and are determined the levels of the resultant components on the output. Carrying out following approximations for third order PIM on $2\omega_1 - \omega_2$ y $2\omega_2 - \omega_1$: the amplitude of the signals $V_s = V_{s1} = V_{s2}$, frequencies $\omega \approx \omega_1 \approx \omega_2$ and transference functions $H(\omega) \approx H(\omega_1) \approx H(\omega_2)$.

These approximations are valid for third order products that commonly fall into operation band. Following analysis is for second order products that have sense only when it falls within the band. Whereas input signals:

$$V_{s1} \cos(\omega_1 t) \text{ y } V_{s2} \cos(\omega_2 t),$$

Assuming the following expression for two tones on cosinoidal form:

$$i_2'(t) = a_2 \left| V_{s1} V_{s2} H(\omega_1) H(\omega_2) \right| \cos \left[(\omega_1 - \omega_2) t + \varphi_2 \right] \quad (10)$$

Power on intermodulation point of second order, can be gotten from $P = i^2 R$ in the way that dissipate power on real part of the charge $Z_L(\omega_1 - \omega_2)$ and assuming that $\text{Re}\{Z_L(\omega)\} = R_L$ is equal to a constant, so we can obtain the following:

$$P_{IM2} = \frac{1}{2} a_2^2 V_s^4 |H(\omega)|^4 R_L \quad (11)$$

Available power for each one of the tones of input and output is obtained as:

$$P_{av} = \frac{V_s^2}{8R_s} \quad (12)$$

And the power on intermodulation point of second order in function of available power results:

$$P_{IM2} = 32a_2^2 |H(\omega)|^4 R_s^2 R_L P_{av}^2 = \\ P_{IM2} = 10 \log(32a_2^2 |H(\omega)|^4 R_s^2 R_L) + 2P_{av} - 30 \quad (13)$$

On the other hand, assuming the component of third order in $2\omega_2 - \omega$, output currency in this frequency will be:

$$i_3'(t) = \frac{3}{4} a_3 V_s^3 |H(\omega)|^3 \cos \left[(2\omega_2 - \omega_1) t \right], \quad (14)$$

Where corresponding power to third order intermodulation product is obtained as:

$$P_{IM3} = \frac{9}{32} a_3^2 V_s^6 |H(\omega)|^6 R_L \quad (15)$$

and it can be expressed in available power patterns P_{av} :

$$P_{IM3} = 144a_3^2 |H(\omega)|^6 R_s^3 R_L P_{av}^3 = P_{IM3} = 10 \log(144a_3^2 |H(\omega)|^6 R_s^3 R_L) + 3P_{av} - 60 \quad (16)$$

These powers are given by a graph as figure 5:

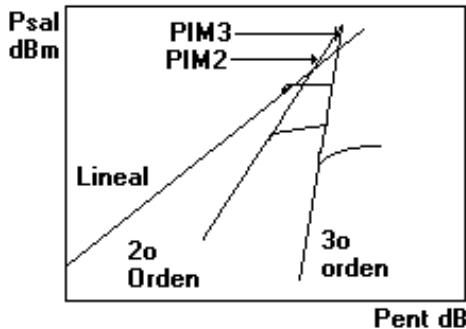


Figure 5. Products of intermodulation on power amplifier

3. DESIGN STAGE AND OPTIMIZATION PROCESS

Signal transmissions on RF stage through the ports of an antenna, in mobile terminal or base station, are basically limited by distortion and generated by the power amplifier and consumed power also, in continuous signal (DC). These parameters are very important on power amplifier design, and with a handle of them we are looking for controlling the profits of power amplifier located in mobile terminal [2].

In many cases, the distortion can be reduced, but in expenses of increase the power dissipation on DC. Therefore, the distortion in the power amplifier results on a great output spectral signal. Analysis process of such transistors was done taking on account: Stability, power and answer of dispersion parameters. Once that selected the best active device, we proceed to optimization process of power amplifier in class AB[4] and EF[6].

3.1 Design stage and optimization of power amplifier AB.

Actually, applied designs to cellular phones, the polarization output currency is varied with respect to level of the signal on thoroughly variety, typically by an analog subcircuit of polarization or good use of amplifiers AB characteristics, that is, gathering amplifiers class A characteristics and class B where it efficiency going of 50 to 78.5 %.

Design and optimization process of this amplifier is shown in figure 6:

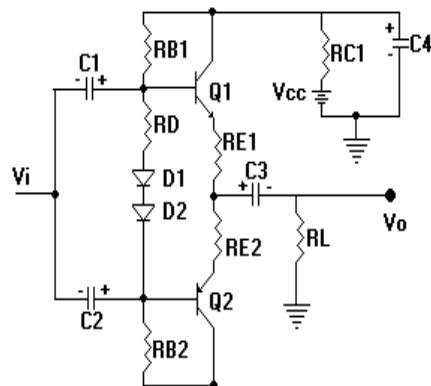


Figure 6. Design and optimization process of hybrid power amplifier class AB

Following, on figure 7 are showed the results of optimization process of gain and attenuation for class AB amplifier whereas frequency interval between 800 MHz to 1900 MHz.

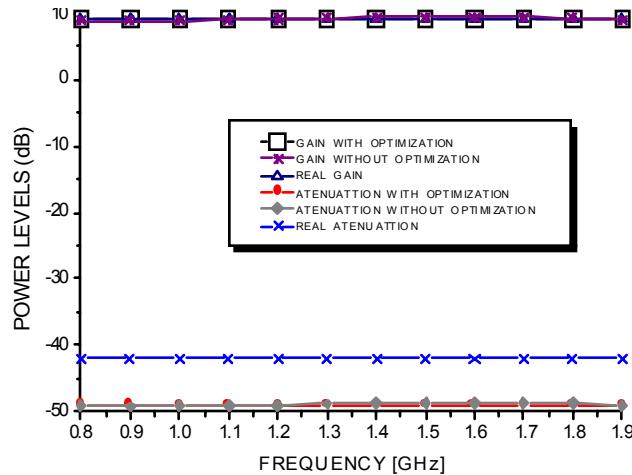


Figure 7. Behavior of gain and attenuation optimized in class AB amplifier

On figure above are showed the final responses of gain and attenuation obtained by optimization process of class AB amplifier. In such figure, have been included the answers for the same parameters to observe the improvements that got through optimization process. Analyzing the parameters of gain, optimized, it carry out with imposed demand of 9 dB, with an approximately minimum fault of 0.01% in relation with reference data of gain, design's objective, carrying out entirely in all frequency interval from 800 MHz to 1900 MHz.

From the same figure, we be capable of observe the attenuation parameter before and after of have been optimized, and observe that optimized attenuation seems stable in all frequencies interval, with an average value in all bandwidth of -48.9 dB, response that improves the -42 dB imposed for amplifier design [2], it reflects an reduction in power consumed. Obtained values of attenuation and gain, produce an energy saving of 19 % in DC and it is a great amount of energy saving.

Therefore, to guarantee that really our device is stable in all frequency interval that interest us, we can do an analysis of optimization process for stability behavior on terms of MU, as showed in figure 8.

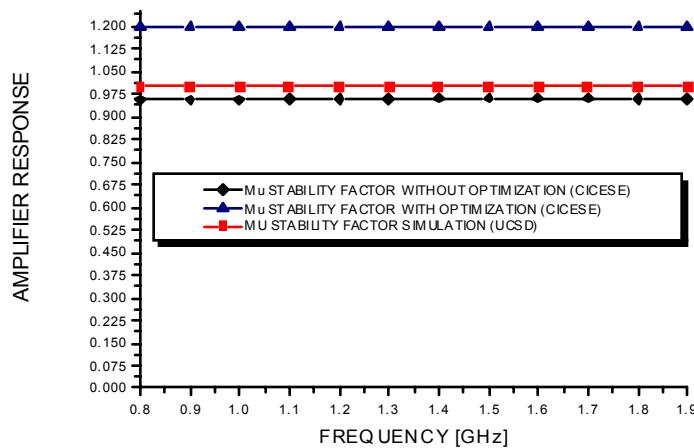


Figure 8. Optimization of stability factor (Mu) behavior on class AB amplifier

In this graph, it is observed the behavior of stability factor of class AB amplifier, before and after of optimization process, as was waited and with base in behaviors of input and output ports, stability factor,

it presents an appropriate value of 1.2, and with it, is guarantying that proposed design provides appropriate results of stability in all the bandwidth over of value Mu equal to 1.

Basing on previous figures, it can be concluded that gain, attenuation, and the matching of the input and output ports of class AB amplifier were notably improved. That is that requirements of linearity, distortion, power consumption and products of intermodulation of amplifier are suitable and improved on this design.

To decide on this optimization process which class of amplifier is better to get the best response, results appropriate to do a similar analysis to class EF amplifier.

4. DESIGN STAGE AND OPTIMIZATION OF CLASS EF POWER AMPLIFIER

With advances in new technologies of cellular mobile communication systems, also have growth demands to improve utilities of these systems. We have the interest of analyze a new class of power amplifier to compare it fulfillment with other classes of amplifiers described before on this paragraph. The power amplifier to which we are doing emphasis on this part is an class EF power amplifier, where this amplifier has an high answer speed, due to it is using CMOS technology (complementary metal oxide semiconductor) and MESFET (metal semiconductor field effect transistor). Due to characteristics of these transistors, it can be improve the utilities in wireless mobile communication systems, on figure 9 is showed employed technique on these amplifiers.

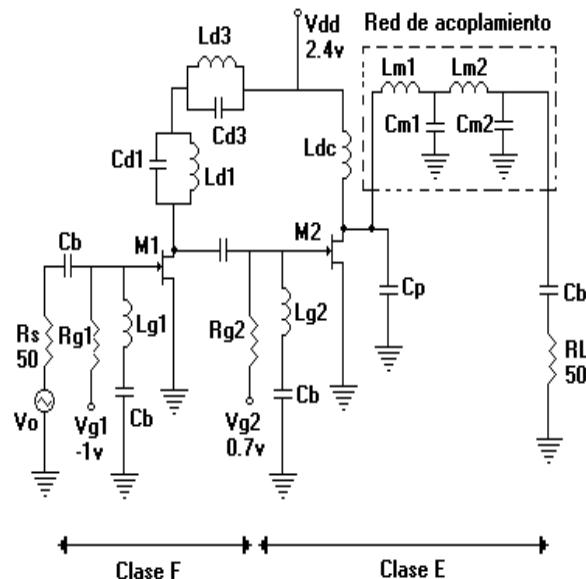


Figure 9. Employed technique on class EF power amplifier.

On figure 10 are showed obtained results of gain and attenuation behaviors of class EF amplifier, before and after of optimization process, consider a frequency interval between 800MHz to 1900MHz.

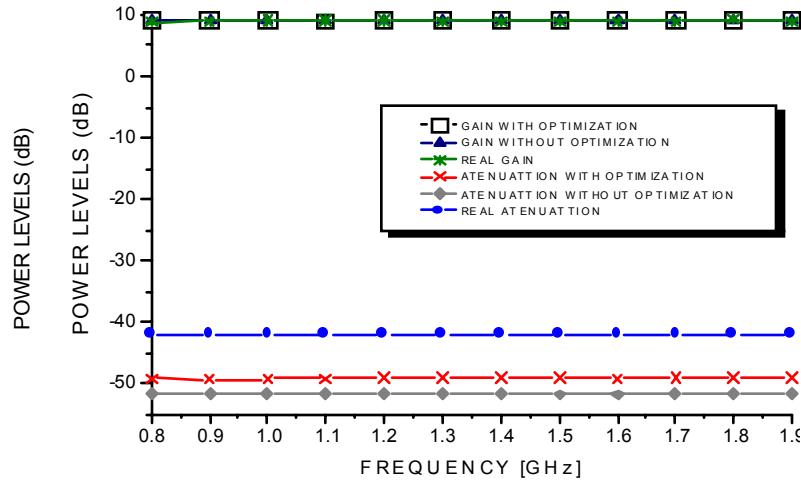


Figure 10. Gain and attenuation behaviors optimized of class EF amplifiers.

According to previous figure, doing an analysis with base on offered answers, gain shows a stable behavior in all frequency intervals with a minimum order error 0.005, much better than class AB amplifier. That is, optimized value of gain carry out with the conditions of 9 dB imposed from our design in all frequency intervals. With respect to attenuation, observing the answer on this figure after optimization process, it can be observed that attenuation shows an average value of -49 dB in all bandwidth, answer that has a significant improve on -42 dB imposed from amplifier design [2]. It reflects a diminution on power consumption, because with a small amount of attenuation is required a small amount of power level. Remember, that this parameter is one of the most important on design and optimization of power amplifier. Thus, under the attenuation and gain obtained values we obtain a great amount of energy saving, that is, a saving in power consumption of 19.93% on DC.

Therefore, on class EF amplifier, to assure that really our device is stable in all frequency intervals that interest us, we can do an analysis of the optimization process to verify the behavior of stability on Mu terms, as figure 11.

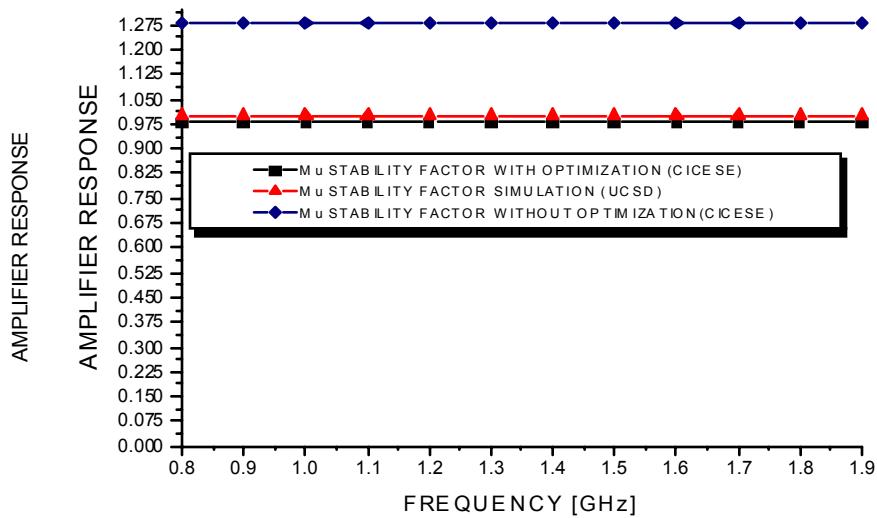


Figure 11. Optimization of behavior of stability factor Mu on class EF amplifier

According to showed graphs on previous figure, as we was waiting and with base in behaviors of input and output ports of amplifier, stability factor shows an appropriate value of 1.27, (remaining that, in class AB amplifier we got a 1.2 value and with this value in spite of

1 is guarantying that proposed design provides appropriated and stable results in all bandwidth that interest us).

We can concluded, basing on previous figures, that gain, attenuation, and matching on input and output ports of class EF amplifiers shows better results than class AB amplifier results.

That is, linearity, distortion, power consumption and intermodulation products results are within imposed limits and also are better on class EF amplifier design.

5. CONCLUSIONS

According to strict requirements of linearity and power consumption on power amplifiers on terminals of the cellular mobile systems 2+ and third generation (3G) are necessary that in design of these devices, not only carry out with such requirements but also going beyond as for size, battery's time life, and the most important that contribute on significant way to reach the agreement on digital systems in a relationship C/I of 9 dB.

Therefore, we can conclude that, as part of optimization process we have improved the answer of power amplifiers, finding as result of our analysis and design, that class EF power amplifier is the best as to utilities that it offers to digital cellular mobile communication systems and carry out with the parameter of design C/I of 9 dB [1].

On the basis of obtained results we have to improve the answer of amplifier as for to:

- Power consumption in DC of the 19.93 %.
- Distortion of -49 dB comparing with -42 dB reported.
- Minimum products of intermodulation due to high linearity and amplifier's stability.
- Maximum carrier level (9 dB)
- Good matching on input and output ports guaranteed the stability of amplifier with reference values less than 1 on the design.

We can summarize as part of numeric analysis on this optimization process, the values obtained for class AB and class EF amplifiers on Table I:

Table I

Parameters	CLASS AB	CLASS EF
Gain	9dB	9dB
Attenuation	-48.9dB	-49dB
Coefficient of Reflection on Input port.	0.43	0.33
Coefficient of Reflection on Output port.	0.68	0.54
VSWR on input port.	1.3	1.2
VSWR on output port.	2.3	2.1
Stability factor Mu	1.2	1.27
Power consumption Saving	19%	19.93%
Products of intermodulation	Minimum	Minimum

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